# AuriGLOBES: Auriga GLOBular ClustEr Simulations

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## Introduction

- Star Clusters:
  - Fundamental blocks & tracers
- Globular Clusters:
  - $\sim 10$  Gyr, ubiquitous presence

- Initial SC population  $\rightarrow$  current GC population?
- Modeling in cosmological scenario. **\*\*Challenge: wide** range of scales\*\*



Kruijssen15



Kruijssen25

#### Young SCs MF to GCMF



# Young SCs MF to GCMF

- Two-body relaxation
  - $M_{TO} R$  anticorrelation
- Tidal interactions (shocks)
  - Sensitive to  $r_h$  and ISM treatment
  - Early disruption
- General strong dependence on implementation and/or calibration



Auriga simulation suite:

- 40 MW-like mass
- 24 dwarf-like mass
- $m_{\rm bary} = 5e4 \ (6e3) M_{\odot}$

LCDM ICs	Stellar feedback
accretion	Black holes
Star	AGN
formation	feedback
Stellar	Magnetic
evolution	fields



Grand+17,24. Publicly available @ https://wwwmpa.mpa-garching.mpg.de/auriga/data.html







## Globular Cluster Candidates Selection



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# Tweaking Formation Model

• Formation in compressive (  $\forall \lambda_i(T_{ij}) < 0$ ) environments only.



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## Effect on the GCMF



# Tweaking Evolution Model

• Enhanced two-body relaxation mass loss (compact remnants)



#### Effect on the GCMF



# GCMF Assembly History Dependency?



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#### Conclusions

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- Hints on recovering the GCMF:
  - Formation at high-density/pressure compressive environments
  - Two-body relaxation mass loss enhancement from compact object remnants effects
- GCMF weak host galaxy mass dependence recovered
  - MF peak ↔ assembly history
- Model limitation:
  - Early disruption underestimation (ISM model)

# Extra Material

## Tidal Field Calculus



## **GCMF** $M_{TO}$ – R Anticorrelation?



 $\begin{array}{|c|c|c|} \Gamma\left(\rho_{g},\sigma_{\mathrm{loc}},c_{s}\right)=f_{\mathrm{bound}} & \mathrm{Kruijssen12} \\ N\,\mathrm{d}M \propto M^{-2}\exp\left(-M/M_{c,\mathrm{max}}\right)\,\mathrm{d}M \\ M_{c,\mathrm{max}}=\epsilon\Gamma M_{\mathrm{GMC}} & \mathrm{Reina-Campos+17} \\ r_{\mathrm{h}}^{\mathrm{init}}=2.365\,\mathrm{pc}\,\left(m/10^{4}\mathrm{M_{\odot}}\right)^{0.18} \\ \sigma=0.735\,\mathrm{dex} \end{array} \right. \\ \end{array}$ 

$$\dot{M} = \dot{M}_{\rm ref} \left(\frac{M}{M_i}\right)^{1-y} \left(\frac{M_i}{2 \times 10^5 M_{\odot}}\right)^{1-x} \frac{\Omega_{tid}}{0.32 \rm Myr^{-1}}$$

$$\frac{\mathrm{d}m}{\mathrm{d}t}_{\mathrm{rlx}} = -\xi \frac{m}{t_{\mathrm{rh}}} \rightarrow \frac{\mathrm{d}m}{\mathrm{d}t}_{\mathrm{rlx}} = -a\xi \frac{m}{t_{\mathrm{rh}}} \left(\frac{m}{m_i}\right)^{1-y}; \begin{array}{l} a = 1.5\\ y = 1.33 \end{array}$$

FORMATION

$$T_{ij} = -\partial_i \partial_j \Phi = \sum_{n=0}^N -\partial_i \partial_j \Phi_n (x - x_n)$$



# Constant $r_h = 4 \text{ pc}$ (Analogous to EMOSAICS, EMP-Pathfinder)



#### Metallicity Distribution Function



#### Individual Clusters Evolution

• Early disruption - shocks



#### Individual Clusters Evolution

• Long evolution – disruption



#### Individual Clusters Evolution

• Long evolution – no disruption

